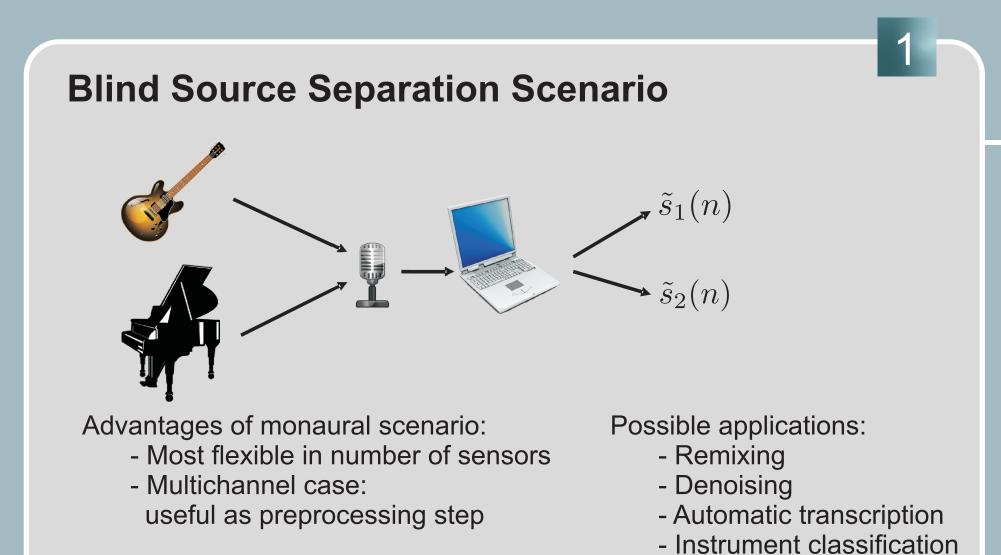
# Beta Divergence for Clustering in Monaural Blind Source Separation

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## **Clustering of Separated Sound Events**

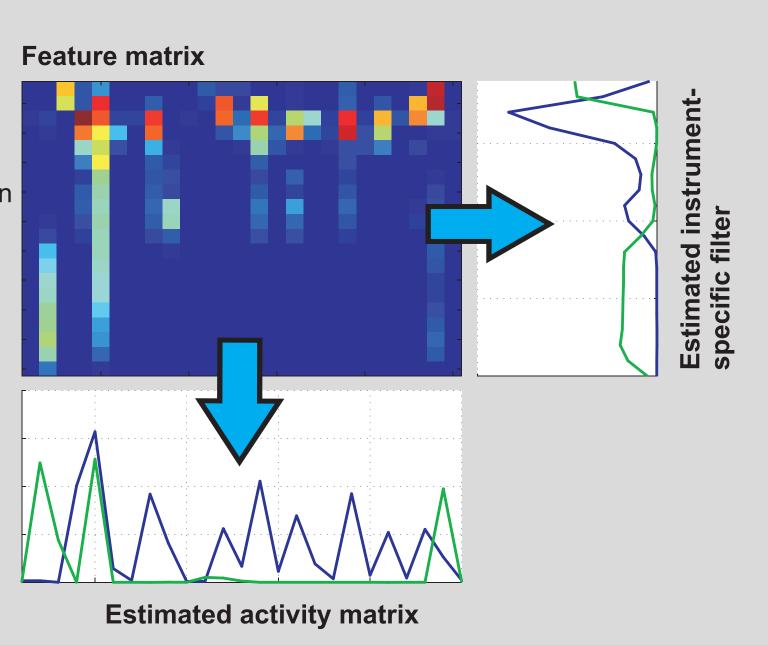
#### Feature according to source-filter model

- Evaluation motivated by MFCC
  - Mel filter bank
  - Logarithm
  - But: no decorrelation

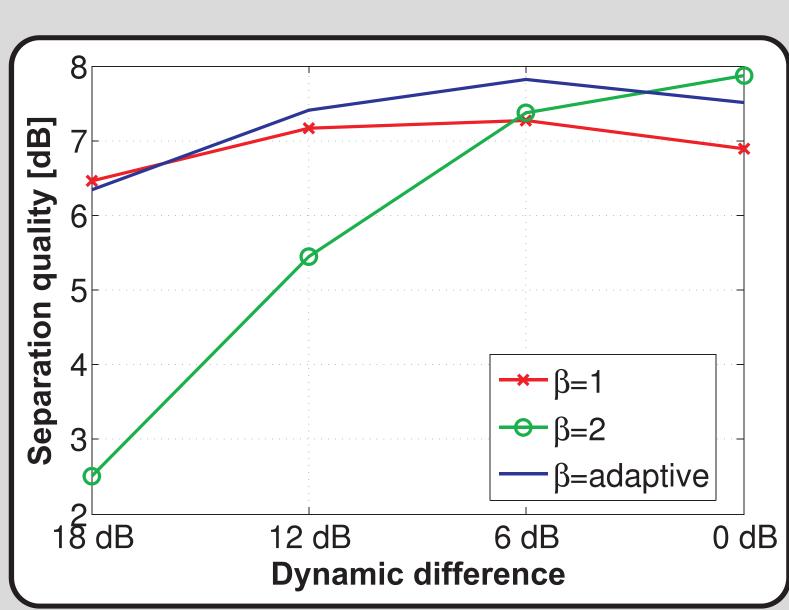
# Note spectrum Source Filter X

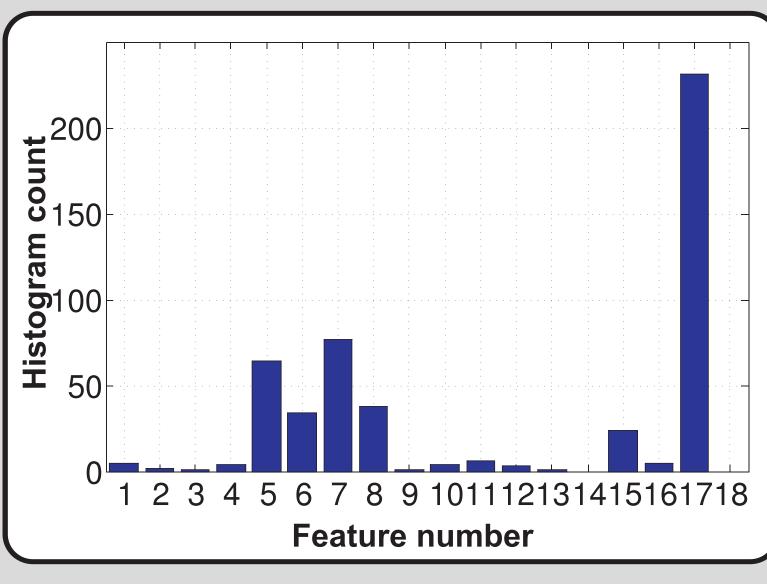
#### Clustering by second NMF

- Estimates two instrument-specific Filters - Parameter  $\beta$  specifies factorization
- by target cost function:  $\beta$ -divergence
- $\beta = 1$  divergence
- $\beta = 2$  Euclidean distance
- Activity matrix corresponds to clustering decision



# **Experimental Results**





- SNR values for different dynamic differences of input signals
- Evaluated for a large test set (1770 mixtures)
- $\beta = 2$  (Euclidean distance)
- Better for equal loudness
- $\beta = 1$  (divergence)
  - Better for large dynamic differences - Best overall results for constant  $\beta$
- Adaptive  $\beta, \beta \in \{1, 2\}$
- Best results for unknown dynamic differences
- Only slightly better results with  $1 \le \beta \le 2$

# Histogram of chosen features

- 100 training cycles of AdaBoost with different
- partitions of training/test set
- Five features per training cycle
- Roughly six features sufficient

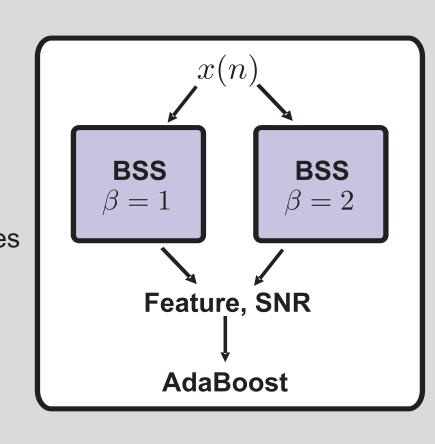
# - Robust and meaningful training

#### Signal Flow of NMF-Based Separation Algorithm **Unsupervised separation** x(n) Mixture - Input: **Blind Source** Monaural mixture Separation (BSS) Number of sources **Short Time Fourier** - No training step necessary **Transform (STFT)** - No instrument classification X Spectogram of mixture Non-Negative Matrix Factorization (NMF) $C_i, 1 \leq i \leq I, I > 2$ Separated sound events Clustering $\{\widetilde{\mathbf{S}}_m,\,m\in\{1,2\}\}$ Separated sources Inverse Inverse STFT | STFT $\widetilde{s}_2(n)$ Output signals

## Adaptive $\beta$ Decision

### Classify optimal $\beta$

- Try both ( $\beta = 1$  and  $\beta = 2$ )
- Evaluate features for both cases
- Features based on - Estimation of dynamic differences
  - Common assumptions for BSS
  - e.g. statistical independence



#### AdaBoost

- Classifier: which  $\beta$  leads to higher SNR (decision between 2 classes)
- Combines weak classifiers to single strong classifier
- Weak classifier
  - 1 dimensional: one feature + treshold

# **List of features**

- Features evaluated for mixture x(n) and output signals  $\tilde{s}_m(n)$ 

Signal Features for Signal $x$ , ${f X}$	
1	Estimated dynamic differences: $10 \log_{10} \left( \ \mathbf{X}\ _2^2 \right)$
2	Estimated dynamic differences: $10 \log_{10} (\ x\ _2^2)$
3	Mean of temporal dynamics <b>d</b> <sub>t</sub>
4	Variance of temporal dynamics <b>d</b> <sub>t</sub>
(Dis-)	Similarities of separated signal features
5-8	Mean of features (1-4) for both active sources $\widetilde{s}_m(n)$ , $\widetilde{\mathbf{S}}_m$
9-12	Difference of features (1-4) between both active sources $\widetilde{s}_m(n)$ , $\widetilde{\mathbf{S}}_n$
Corre	elation Features
13	Cross-correlation between both $\widetilde{\mathbf{S}}_m$
14	Pearsons rank correlation between both $\widetilde{\mathbf{S}}_m$
15	Cross-correlation between both $\tilde{s}_m(n)$
16	Pearsons rank correlation between both $\tilde{s}_m(n)$
Statis	stical Independence
17	Histogram for $\tilde{s}_m(n)$
18	Histogram for $\widetilde{\mathbf{S}}_m$

# Conclusions

- Few features (~6) sufficient for adaption of  $\beta$
- Large gains for unknown dynamic differences

# **Future Work**

- Extend concept to adapt other parameters of algorithm, e.g. number of mel filters for estimation of instrument-specific filter

